

SOLUTION

$$(1a) \quad g_{\text{sun}} = \frac{GM_S}{R_{ES}^2} = \frac{6.67 \times 10^{-11} \times 2 \times 10^{30}}{(1.5 \times 10^{11})^2} = 592 \text{ mgals}$$

$$(1b) \quad g_{\text{moon}} = \frac{GM_M}{R_{EM}^2} = \frac{6.67 \times 10^{-11} \times 7.36 \times 10^{22}}{(3.84 \times 10^8)^2} = 3.33 \text{ mgals}$$

(1c) Spatial gradient of  $g$  causes tides

$g_{\text{sun}} > g_{\text{moon}}$  but gradient due to moon is greatest;

(1d) ①  $\Rightarrow$  observations of historical eclipses; they would not have been observed if LOD was constant;

②  $\Rightarrow$  tidal rhythmites show more days per year in geological past (also per month)

③  $\Rightarrow$  coral growth rings, similar arguments to ②

$$2(a) \quad g_{\text{anom}} = -205 \text{ mgals}$$

$$C_{FA} = 0.3086 \times 560 = 172.8 \text{ mgals}$$

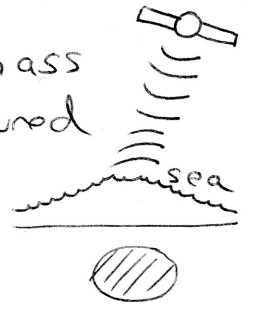
$$\Delta g_{FA} = -32.2 \text{ mgals}$$

$$C_B = -2\pi G \times 2670 \times 560 = -62.7 \text{ mgals}$$

$$\Delta g_B = -94.9 \text{ mgals}$$

2(b)

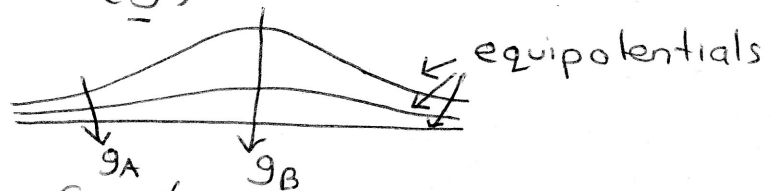
⇒ sea surface deflected by mass excess; elevation can be measured from a satellite by radar



⇒ monitor precise orbit of a satellite; either by tracking from surface of Earth OR measuring distance between two satellites (e.g. GRACE mission)

2(c)

Sea surface is surface of constant gravitational potential NOT constant gravitational acc'n ( $g$ )



$g$  ∝ gradient of  $\phi$

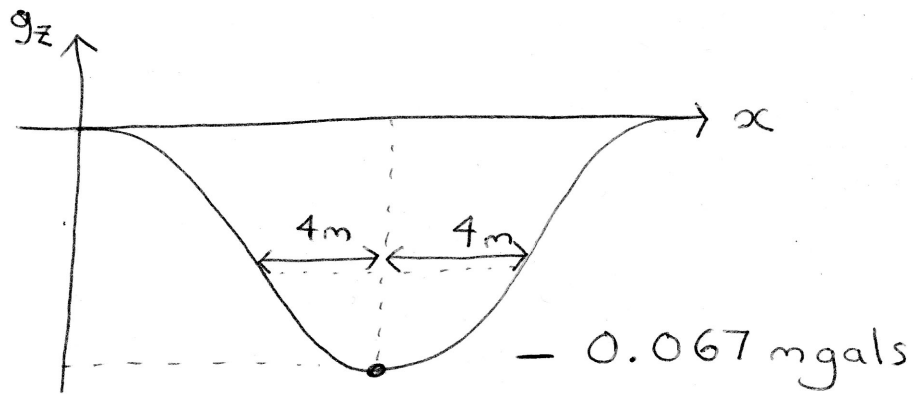
$$g_A > g_B$$

3(a)

$$g_z = \frac{2\pi G a^2 z \Delta \rho}{(x^2 + z^2)} \quad (\text{formula sheet})$$

peak value when  $x = 0$  ⇒  $g_z^{\text{max}} = -0.067 \text{ mgals}$

3(b)



- $\Rightarrow$  anomaly negative
- $\Rightarrow x_{\frac{1}{2}} = 4\text{ m} = \text{depth of cylinder}$
- $\Rightarrow$  approx. shape

3(c) If change elevation by  $1\text{ m}$

$\Rightarrow$  change  $g$  by  $0.3086$  mgals

change elevation by  $0.1\text{ m} \Rightarrow$  change  $g$  by

~~0.03~~  $0.03$  mgals

$\Rightarrow$  max anomaly of tunnel is  $-0.067$  mgals,  
which is greater than change from  
 $0.1\text{ m}$  elevation change;

so tunnel will be detected;

- (4a)
- P-wave reflected  $\Theta = \sin^{-1}(0.127 \times 6.8) = 60^\circ$
- S-wave reflected  $\Theta = \sin^{-1}(0.127 \times 3.9) = 29.8^\circ$
- S-wave transmitted  $\Theta = \sin^{-1}(0.127 \times 4.5) = 35^\circ$
- P-wave transmitted  $\Theta = \sin^{-1}(0.127 \times 8.1) = \textcircled{?}$
- may get head wave with  $\Theta = 90^\circ$   
although amplitude could be small;

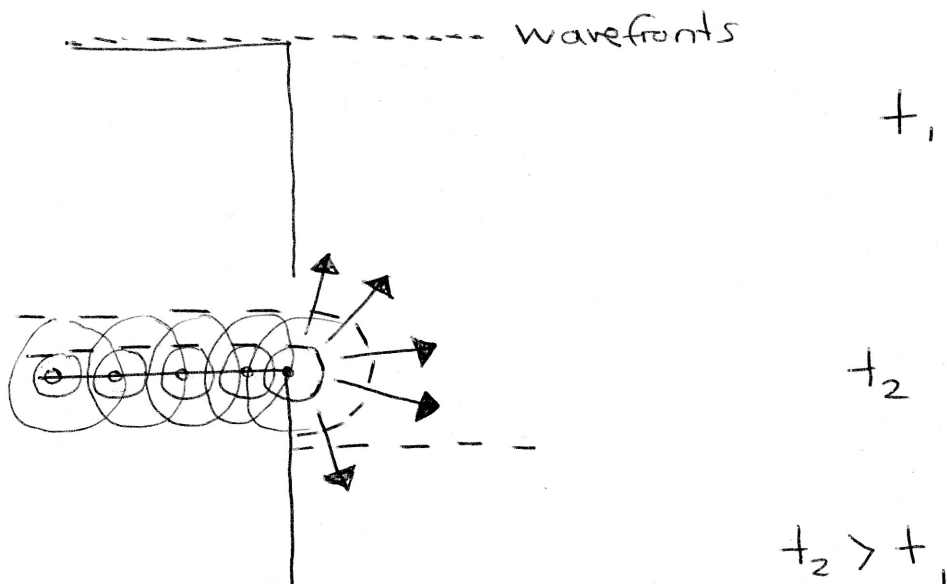
(4b)

### HUYGHENS PRINCIPLE

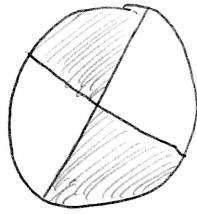
$\Rightarrow$  points on wavefront generate 2<sup>o</sup>  
wavelets that spread out;

$\Rightarrow$  position of wavefront at a later time is the envelope that can be drawn around secondary wavelets

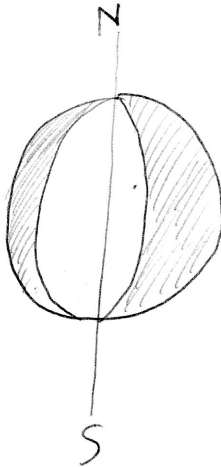
$\Rightarrow$  corner scatters energy in all directions;



(5a)



⇒ pattern of quadrants;  
⇒ strike of fault

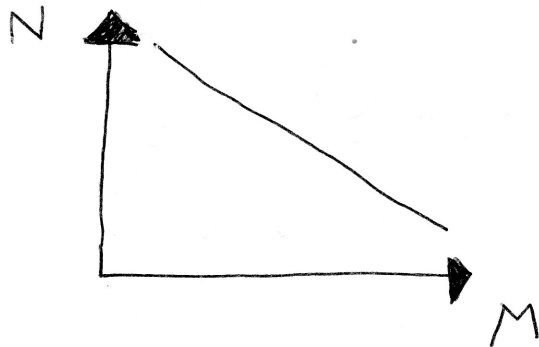


⇒ white in middle (normal fault)  
⇒ asymmetric (dip not 45°)  
⇒ axis N-S

(5b)

GUTENBERG-RICHTER LAW

more small earthquakes than large  
in a given area



$$\log N = a - bM$$

a, b are constants